

A ROBUST PERFORMANCE OF A VOLTAGE SOURCE CONVERTER BASED HIGH VOLTAGE DIRECT CURRENT

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Abstract:—In this paper, we presented the modelling of VSC (Voltage Source Converter) of a DC link in the field of Park. A control strategy based on the separation of active and reactive power is proposed. Simulation in Matlab / Simulink system proposed under normal operation and faulty operation allows us to evaluate the performance of a VSC HVDC.

Keywords:—VSC, HVDC, decoupled control

I. INTRODUCTION

The power transmission DC has being historically the first used solution, but the technology of that time did not allow the development of this type of power transmission.

The first power transmission system using HVDC (High Voltage Direct Current) was released in 1954 [1], since then research on power transmission DC has started.

Nowadays, and following the progress of the field of power electronics, converters based on VSC technology are realized with IGBT (Insulated Gate Bipolar Transistor). These showed many advantages [1], [2] as compared to converters used for the traditional HVDC and are realised with thyristors.

In this study, we present a model of the VSC HVDC that will allow us to establish a mathematical model, or a so called control strategy. This model for separating control is used to power the controlled converter VSC. A simulation with Matlab / simulink is performed to highlight the performance of a VSC HVDC.

II. MODELING OF THE VSC HVDC

The configuration of a single polar VSC [1] is given by "Fig. 1".

Rated AC voltages can be expressed by the following formula:

$$V_{cabc} - V_{xabc} = L \frac{di_{abc}}{dt} + rI_{abc} \quad (1)$$

Our goal is to establish a mathematical model that will be used for the control law. For this, we choose the study in the area of Park, or we will establish a control system called VSC control by powers decoupled.

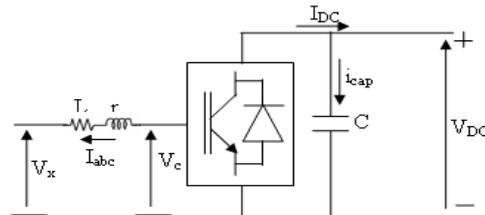


Fig. 1 VSC HVDC single polar

To facilitate the calculation, we used the transformation of Clark. This transformation the following result:

$$abc \rightarrow \alpha\beta \rightarrow dq$$

The transition from normal reference to real reference Clark is given by "(2)":

$$\begin{pmatrix} \alpha \\ \beta \\ 0 \end{pmatrix} = \frac{2}{3} \begin{pmatrix} 1 & -\frac{1}{2} & \frac{1}{2} \\ 0 & \frac{\sqrt{3}}{2} & -\frac{\sqrt{3}}{2} \\ \frac{1}{2} & \frac{1}{2} & \frac{1}{2} \end{pmatrix} \begin{pmatrix} a \\ b \\ c \end{pmatrix} \quad (2)$$

Transformation using the Clark "(1)":

$$V_{c\alpha\beta} - V_{x\alpha\beta} = L \frac{di_{\alpha\beta}}{dt} + rI_{\alpha\beta} \quad (3)$$

The relation between the Park reference and the Clark reference is given by:

$$X_{\alpha\beta} = X_{dq} \cdot e^{j\omega t} \quad (4)$$

Where ω is the angular velocity of Park reference as compared to the real reference.

Using the formula "(3)," and "(4)":

$$V_{cdq}e^{j\omega t} - V_{xdq}e^{j\omega t} = L \frac{d(i_{dq} \cdot e^{j\omega t})}{dt} + rI_{dq}e^{j\omega t} \quad (5)$$

On the other hand, we have:

$$L \frac{d(I_{dq}e^{j\omega t})}{dt} = L \cdot e^{j\omega t} \cdot \frac{d(I_{dq})}{dt} + L \cdot I_{dq} \cdot \frac{d(e^{j\omega t})}{dt} \quad (6)$$

$$L \frac{d(I_{dq}e^{j\omega t})}{dt} = L \cdot e^{j\omega t} \cdot \frac{d(I_{dq})}{dt} + j\omega L \cdot I_{dq} \cdot e^{j\omega t} \quad (7)$$

If we substitute "(7)," in "(5)," and eliminate the term $e^{j\omega t}$:

$$V_{cdq} - V_{xdq} = L \frac{dI_{dq}}{dt} + j\omega LI_{dq} + rI_{dq} \quad (8)$$

The equation "(8)," represents the mathematical model of a Single Polar VSC configuration in the Park reference.

III. CONTROL OF THE VSC HVDC

If we consider the axis (d) of reference (dq) is in phase with the voltage (A) of the real reference, this means that for every moment $V_{xd} = V_x$ [3], [4]. Therefore, the equation "(8)," becomes:

$$\begin{cases} V_{cd} - V_{xd} = L \frac{dI_d}{dt} + j\omega LI_d + rI_d \\ V_{cq} - 0 = L \frac{dI_q}{dt} + j\omega LI_q + rI_q \end{cases} \quad (9)$$

With:

$$jI_d = I_q \text{ And } jI_q = -I_d \quad (10)$$

Applying the Laplace transform on the results "(9)," and "(10),"

$$\begin{cases} (sL + r)I_d = V_{cd} - V_{xd} + \omega LI_q \\ (sL + r)I_q = V_{cq} - \omega LI_d \end{cases} \quad (11)$$

1. Inner current controllers

The principle of inner control is based on current formula "(11)". This type of control allows through a reference currents (I_d) and (I_q) of the generated reference voltage (V_d) and (V_q) for generating control pulses for VSC converters.

The block diagram of the inner control current is given by "Fig. 2".

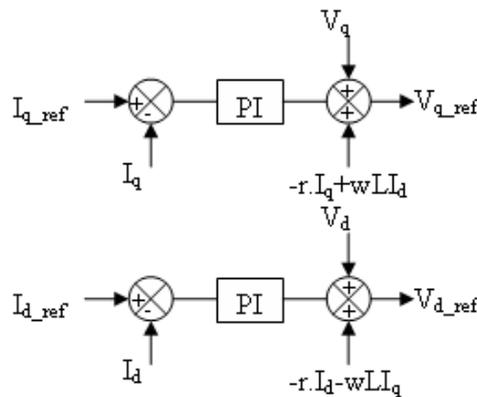


Fig. 2 Inner current controllers

2. Outer controllers

The power exchanged with the alternative network through the VSC in the Park reference is given by the formula "(12)," [5]:

$$S = \frac{3}{2}(V_{xd} + jV_{xq})(I_d - jI_q) \quad (12)$$

With $V_{xq} = 0$, the equation "(12)," becomes:

$$S = \frac{3}{2}V_{xd} \cdot I_d - j \frac{3}{2}V_{xd} \cdot I_q \quad (13)$$

Hence the active and reactive powers are:

$$\begin{cases} P = \frac{3}{2}V_{xd} \cdot I_d \\ Q = -\frac{3}{2}V_{xd} \cdot I_q \end{cases} \quad (14)$$

On the other hand, the variation of the DC voltage can be expressed as follows [3]:

$$\Delta V_{DC} = \frac{\Delta q_{cap}}{C} = \frac{1}{C} \int i_{cap} dt \quad (15)$$

With (C) represent the smoothing capacitor voltage DC side.

If we neglect the power losses in converters (rectifier, inverter), and apply the theorem of energy conservation, we can write:

$$\frac{3}{2}V_{xd}I_d + V_{DC}i_{cap} + V_{DC}I_{DC} = 0 \quad (16)$$

From "(15)," and "(16)," we have:

$$\frac{d\Delta V_{DC}}{dt} = -\frac{3V_{xd}}{2CV_{DC}} \left(I_d + \frac{2V_{DC}I_{DC}}{3V_{xd}} \right) \quad (17)$$

From equation "(14)," controlled VSC in active and reactive powers can be formed separately. For the control voltage and according to the equation "(17)", the DC voltage is affected by the current (I_d) and (V_{xd}).

If we consider an AC electrical network low-power $SCR \leq 2$ (Short Circuit Ratio) the (V_{xd}) has a value almost constant, this means that the voltage (V_{DC}) is dependant on only the current (I_d).

The control structure is given by "Fig. 3"

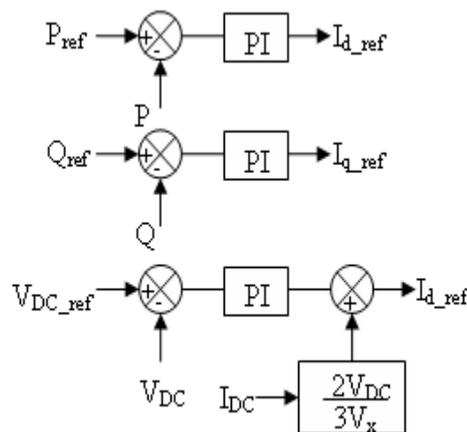


Fig. 3 Outer controllers

Generally, the converters using a technique VSC are controlled [6] [7] by active and reactive powers for the rectifier mode, reactive power and DC voltage for inverter mode. The complete structure of the VSC control is given by "Fig. 4".

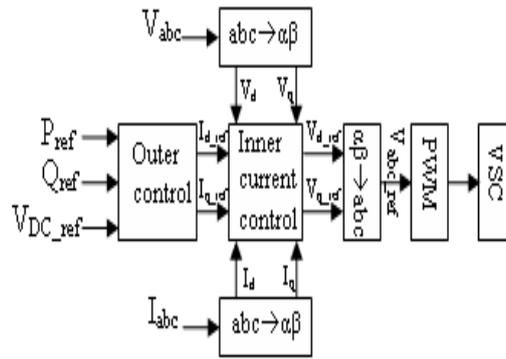


Fig. 4 VSC HVDC controllers

The controllers PI (Proportional Integrator) of the control system are calculated using the symmetrical optimum criterion [2], [8], Table (1) gives the different gains of the controllers.

Table I. GAINS OF THE CONTROLLERS

PI	Outre controllers		Inner controllers	
	K _p	K _i	K _p	K _i
P (station1)	0,17	12	7	85
Q (station1)	0,12	12	3	55
V (station2)	1	26	5	45
Q (station2)	0,3	25	3	35

IV. SIMULATION AND RESULTS

To test the performance of the VSC HVDC transmission under normal operation (change of control settings), and a default operation (single and three phase short circuit) was selected see the network "Fig. 5".

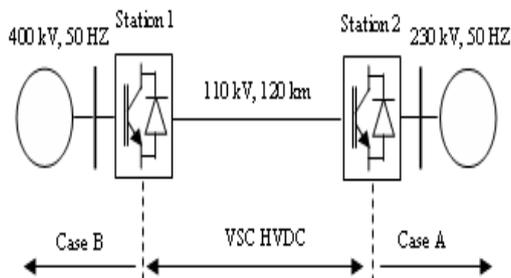


Fig. 5 Testing network

1. Variations in the command instructions

In the first simulation, we will test the response of the VSC-HVDC for changes in control settings.

Initial settings : $P_{ref} = 0$ pu, $Q_{1_ref} = 0$ pu, $Q_{2_ref} = 0$ pu et $V_{DC_ref} = 1$ pu.

The scenario change is given in Table II.

Table II. VARIATION OF THE SETTINGS

time (s)	P_{ref}	Q_{1_ref}	Q_{2_ref}	V_{DC_ref}
0,5	-0,5	0	0	1
1	0	0,1	-0,1	1
1,3	0	0,1	-0,1	1
1,5	0,5	0,15	-0,15	0,9
1,8	1	0,15	-0,15	0,9

Figures "Fig. 5," and "Fig. 6," respectively includes the results of stations 1 and 2.

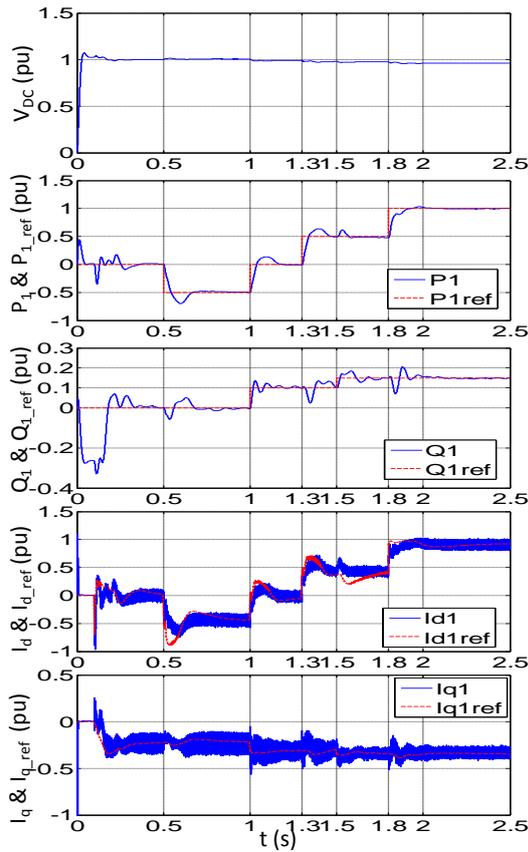


Fig. 5. Change orders (Station 1)

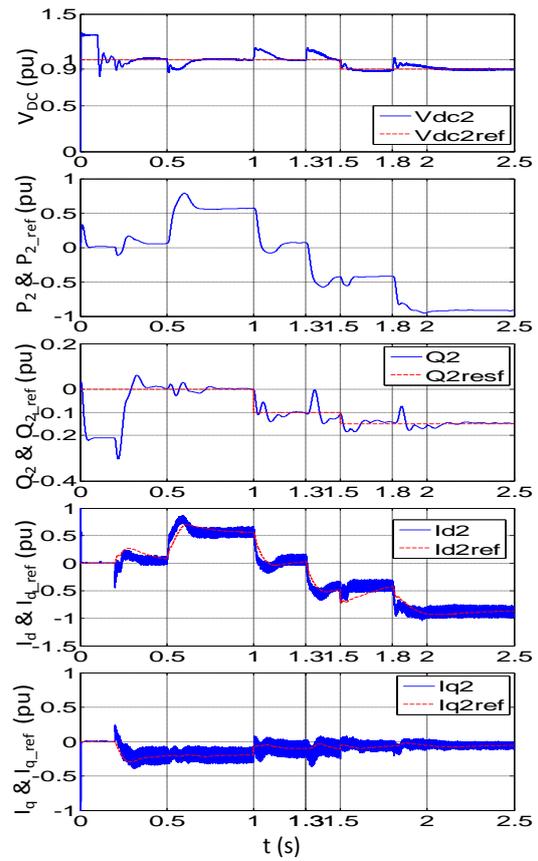


Fig. 6. Change orders (Station 2)

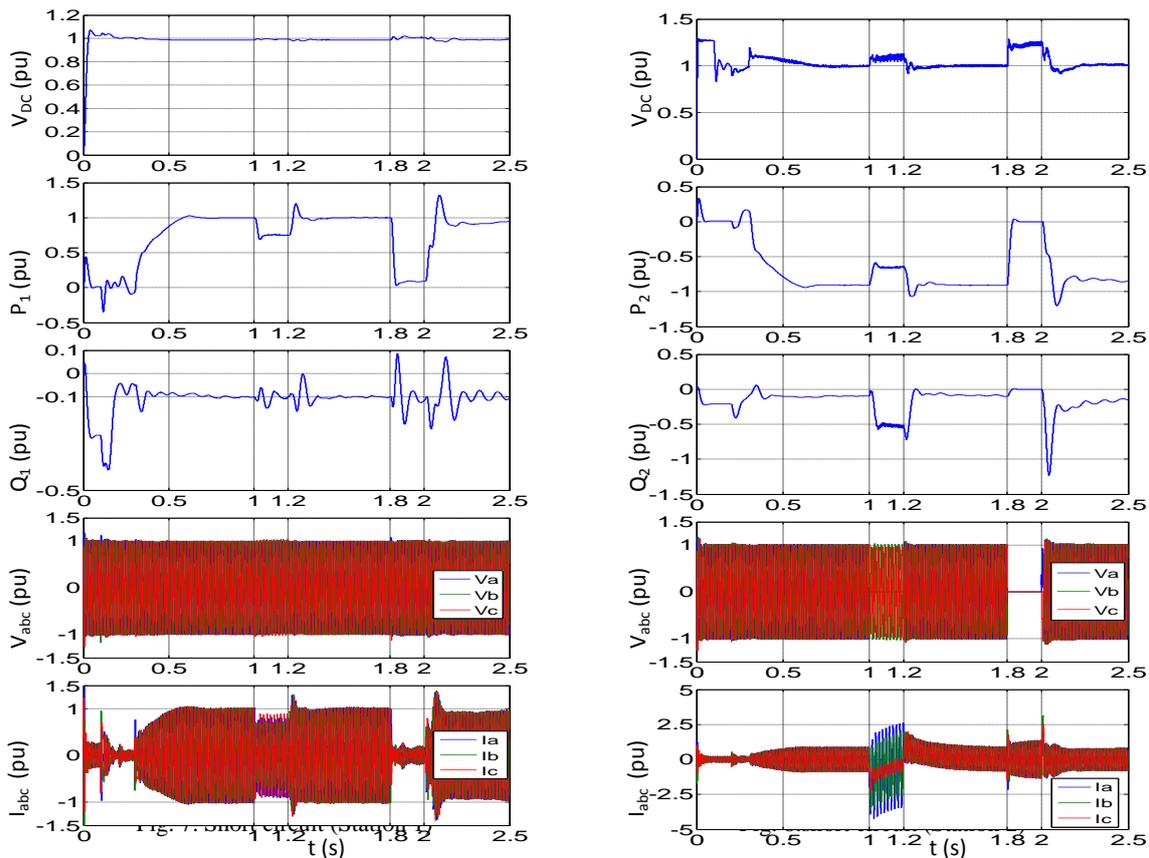
The simulation supports that the physical quantity (voltage, power ...) follow the instructions of command, the physical quantities are stabilized with a delay time $t \leq 0,4$ s, which is translated into a good operational stability. Change the setting of active power creates a slight disturbance reactive power e DC voltage in Station 1 and Station 2, but this disturbance does not affect the system stability.

2. Short circuit

In this section, we conducted a single-phase earth short circuit at time $t = 1$ s to $t = 1,2$ s in station 2, a short three phase circuit and earth at time $t = 1,8$ s to $t = 2$ s in station 2. Control settings for this simulation are: $P_{ref} = 1$ pu, $Q_{1_ref} = -0,1$ pu $Q_{2_ref} = 1$ pu and $V_{DC_ref} = 1$ pu.

Figures "Fig. 7" and "Fig. 8" illustrates the simulation results.

The simulation shows that for a short circuit (single phase or three phases) in station 2, the tension in the station 1 is infected (see "Fig. 7," and "Fig. 8"). For a single phase short circuit, the active power transited through the line decreases,



while for the second case (short-three phase circuit) power is almost zero. The reactive power consumed by a station swung round to its initial value during the short circuit that is either single or three phases, but this oscillation does not have great influence on the alternative side of Station 1.

V. CONCLUSION

In this paper, we simulated a VSC HVDC configuration at normal stresses and strains of failing to achieve evaluated the performance of such a configuration. Simulation in Matlab / Simulink has proven that the method used to control VSC converters is reliable in terms of physical quantities has followed their instructions, and that the use of such a system (VSC HVDC) in a network AC increases network reliability for VSC HVDC That a connection does not allow the propagation effects of a short circuit on the AC side of a HVDC terminal to another terminal.

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